

# A directed Einstein@Home search for continuous gravitational-wave emission from Cassiopeia A

**Sylvia J. Zhu**

AEI Hannover and AEI Potsdam-Golm

on behalf of the Einstein@Home team

# Motivation

Isolated, spinning neutron star with asymmetry  
=> continuous gravitational waves (CWs)

CasA is **young** (~300 years old) and **close** (3.4 kpc);

compact central object is most likely a **neutron star**;  
[e.g., Ho & Heinke 2009]

no electromagnetic pulsations detected, so spin period is unknown

=> We performed a (directed) search for CWs from CasA using LIGO S6 data  
with Einstein@Home

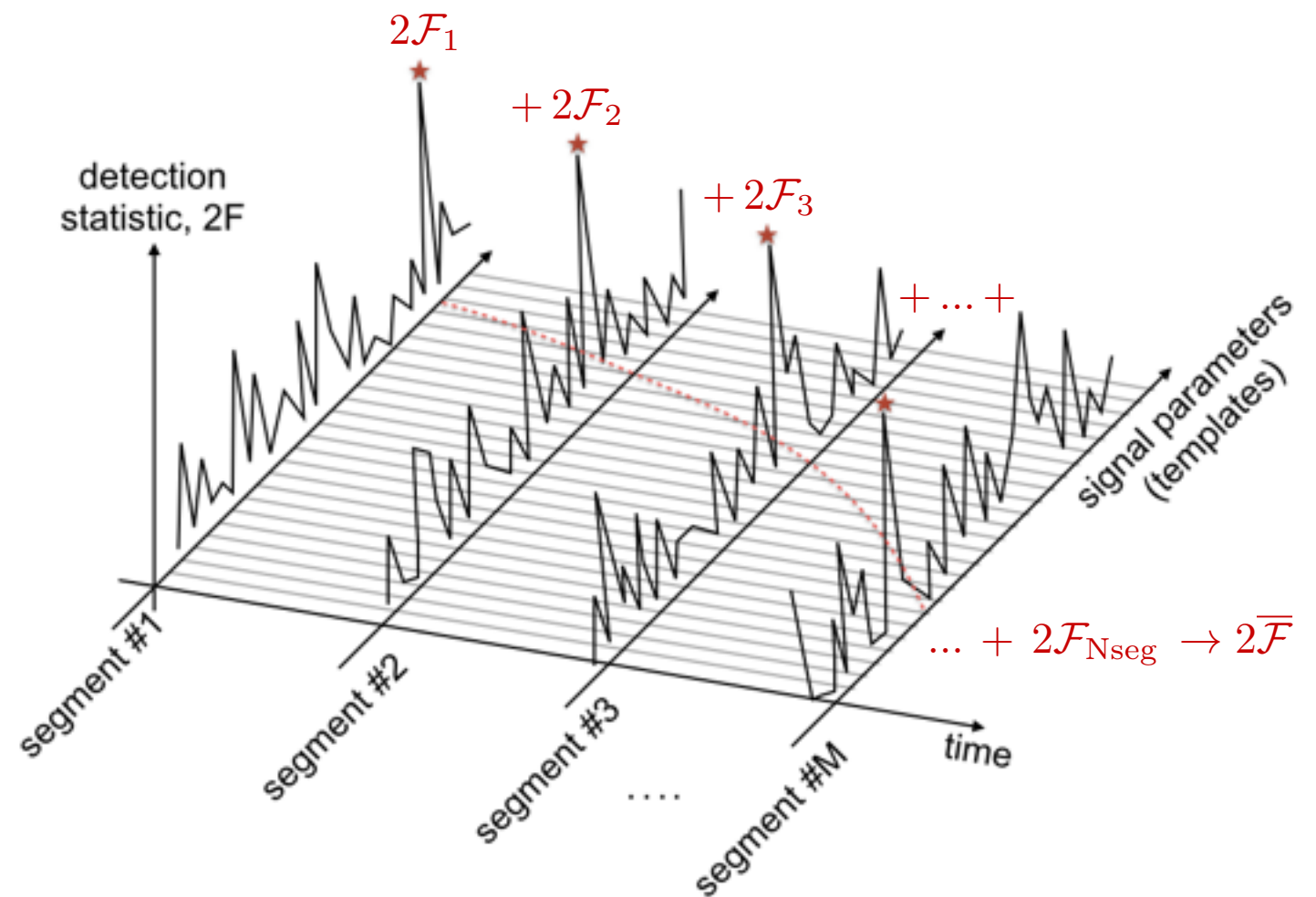
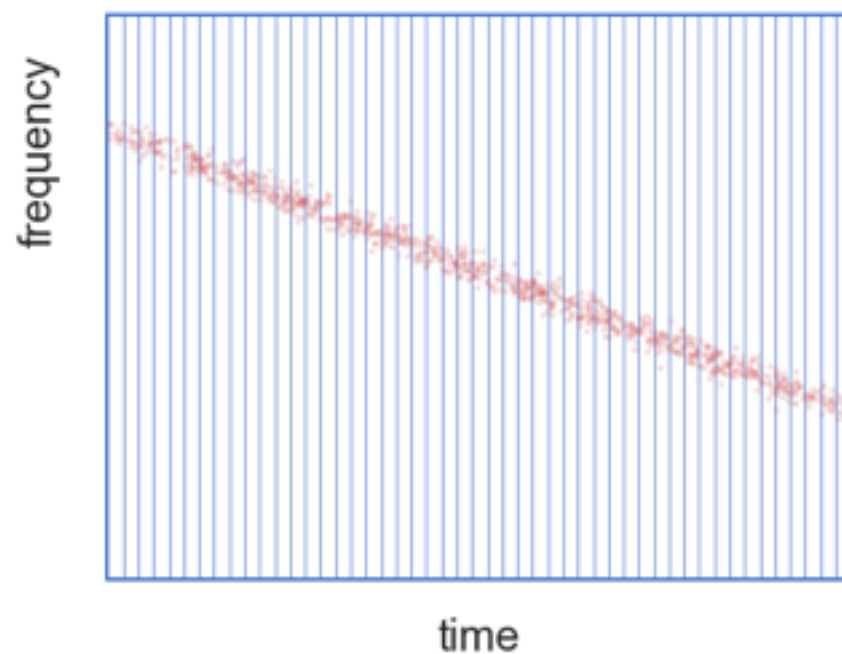
[LVC [arXiv:1606.09619]]

[Singh et al. [arXiv:1607.00745]]

# stack-slide search

[e.g., Brady and Creighton 2000]

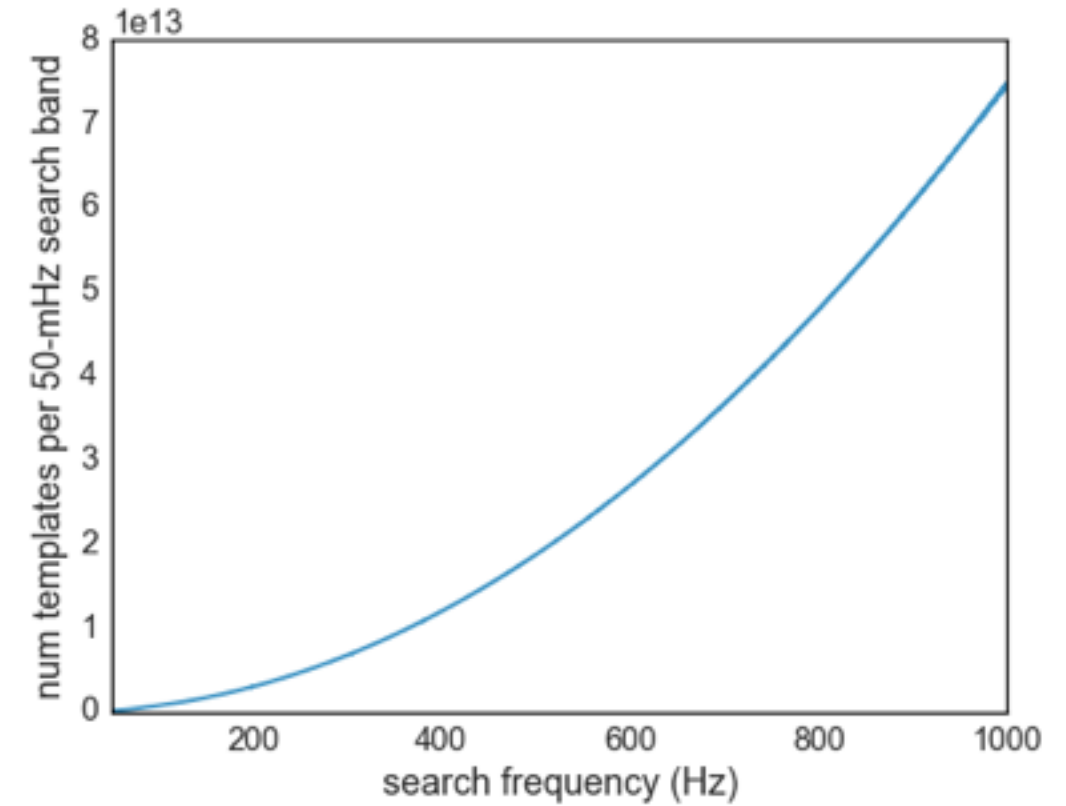
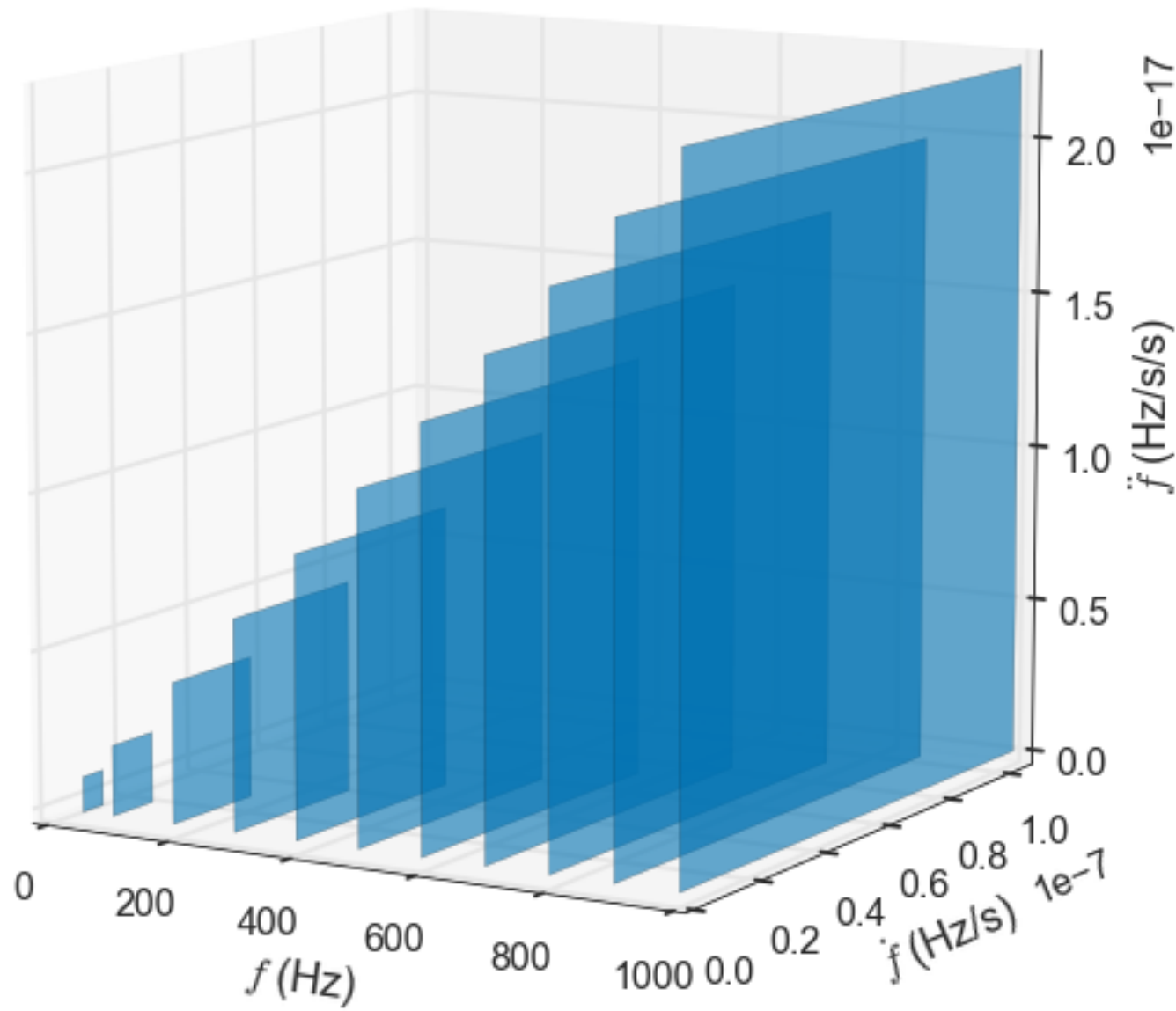
[e.g., Pletsch 2010]



[credit: M. A. Papa]

template signal parameters:  $f, \dot{f}, \ddot{f}, \alpha, \delta, \dots$

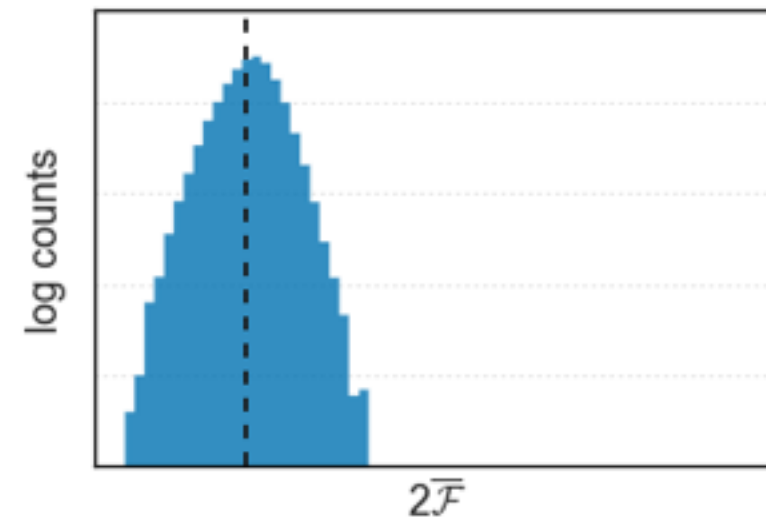
# Search setup



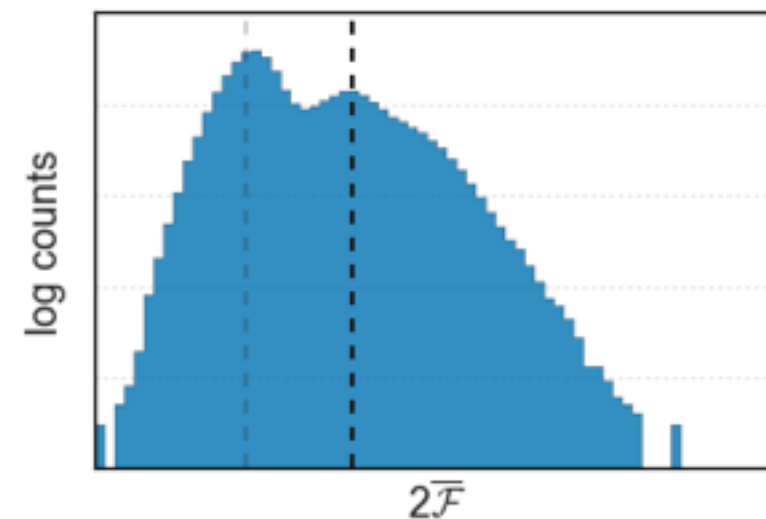
$$2\overline{\mathcal{F}}$$

$2\overline{\mathcal{F}}$  in Gaussian noise has a well-defined distribution;  
only parameter: (effective) number of templates

[Wette 2012]



undisturbed  
(Gaussian noise)



disturbed

# SystDistId (working name)

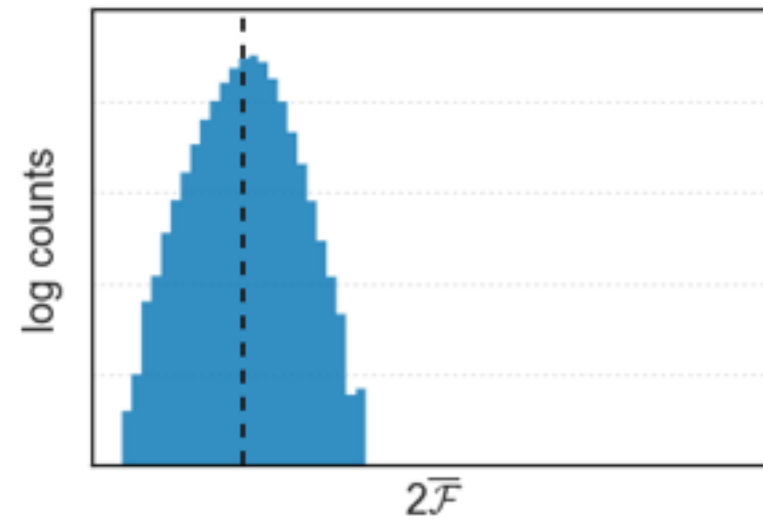
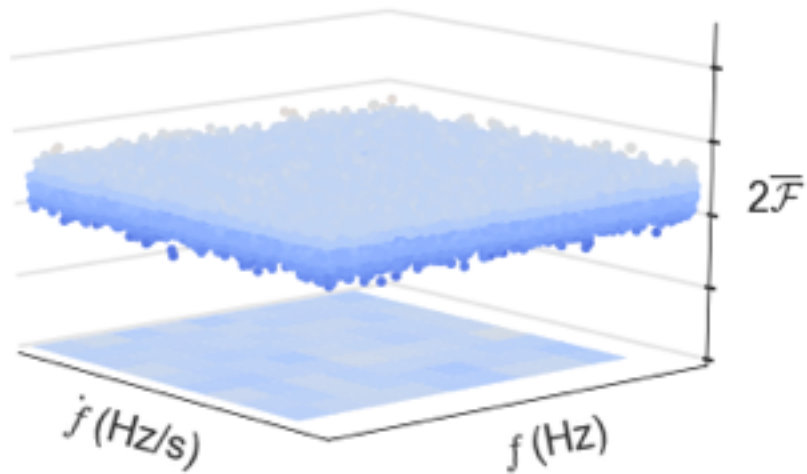
New statistic  $\hat{O}_{\text{SGL}}$  performs as well as  $2\bar{\mathcal{F}}$  in Gaussian noise  
and better than  $2\bar{\mathcal{F}}$  in the presence of stationary disturbances [Keitel, et al., 2014]  
=> use  $\hat{O}_{\text{SGL}}$  to find loudest candidates, and  
use  $2\bar{\mathcal{F}}$  to characterise candidates' significances

## **Systematic Disturbance Identification:**

a semi-automated method of identifying potentially disturbed bands

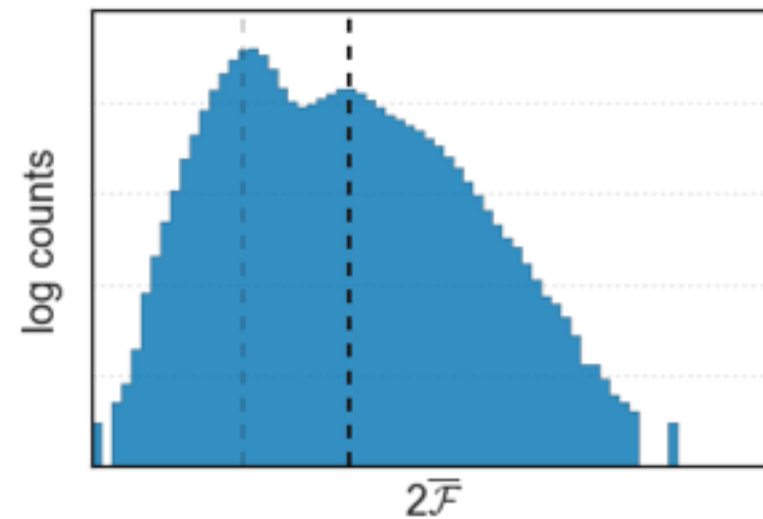
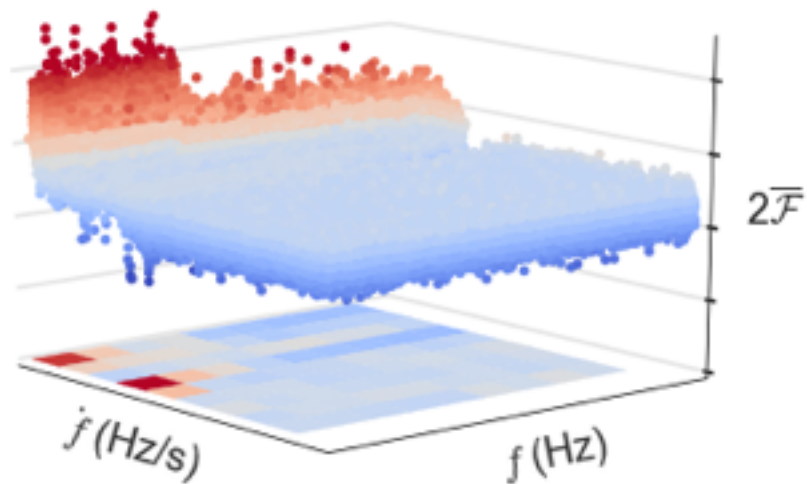
# SystDistId (working name)

undisturbed  
(Gaussian noise)



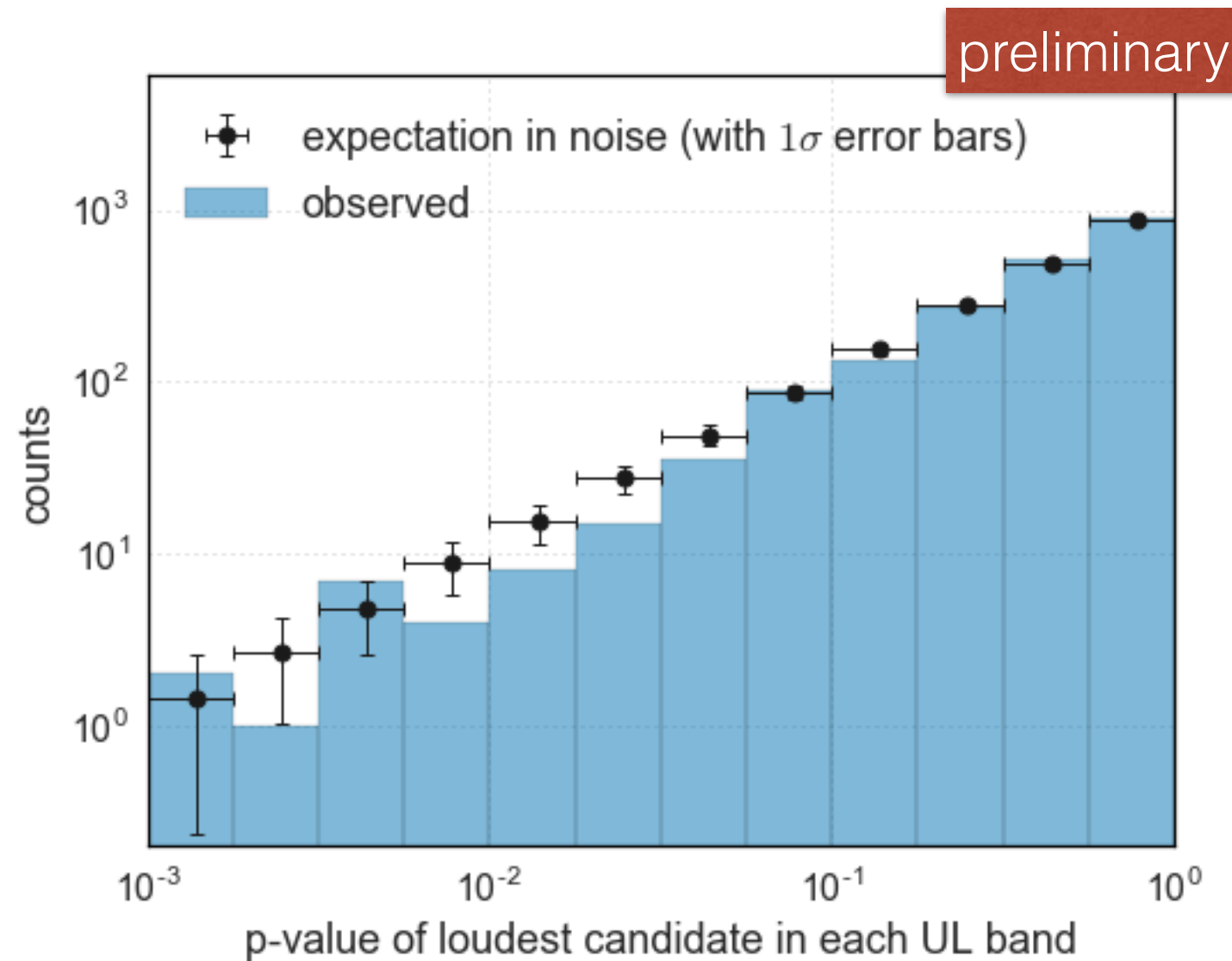
undisturbed  
(Gaussian noise)

disturbed



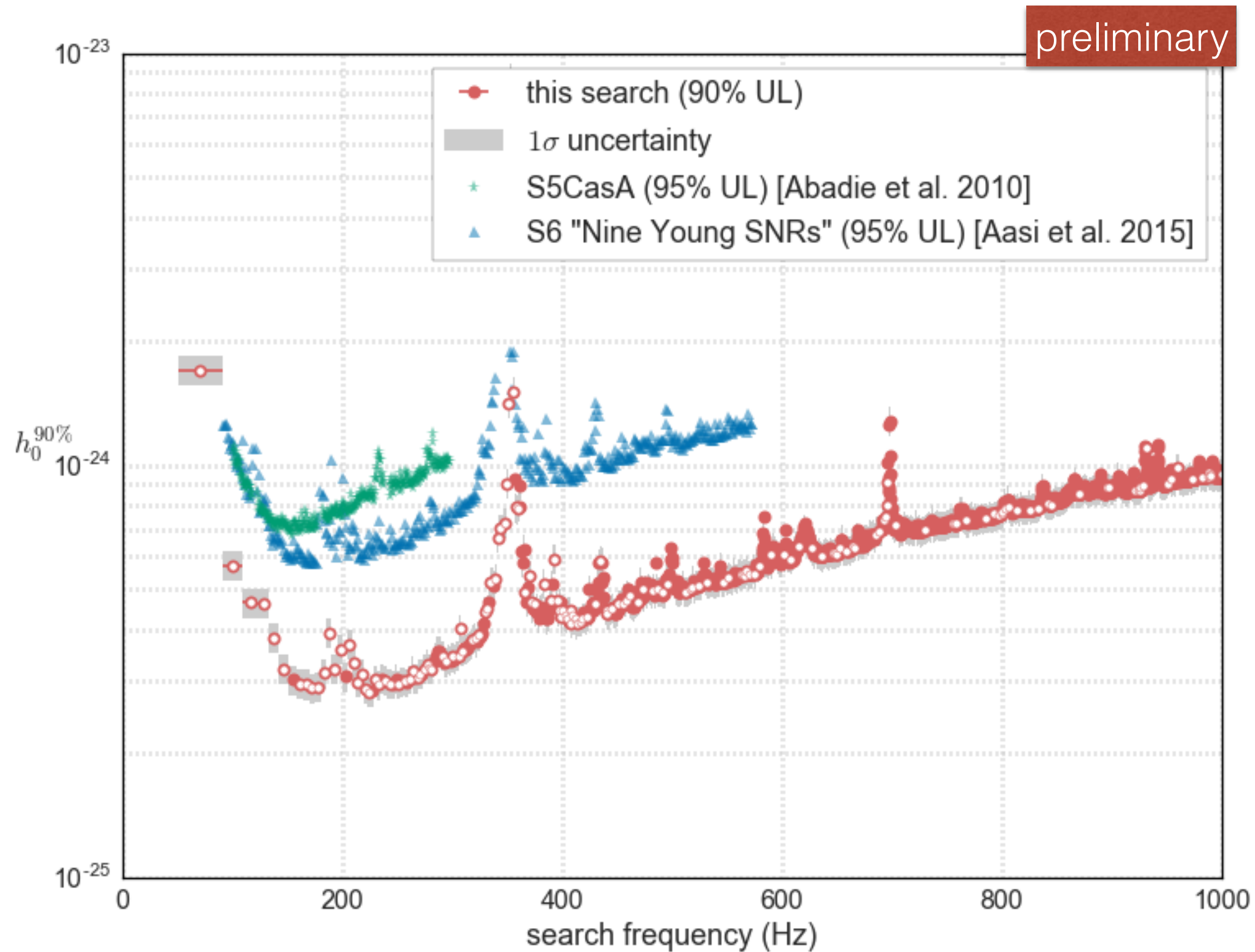
disturbed

# observed vs expectation in noise

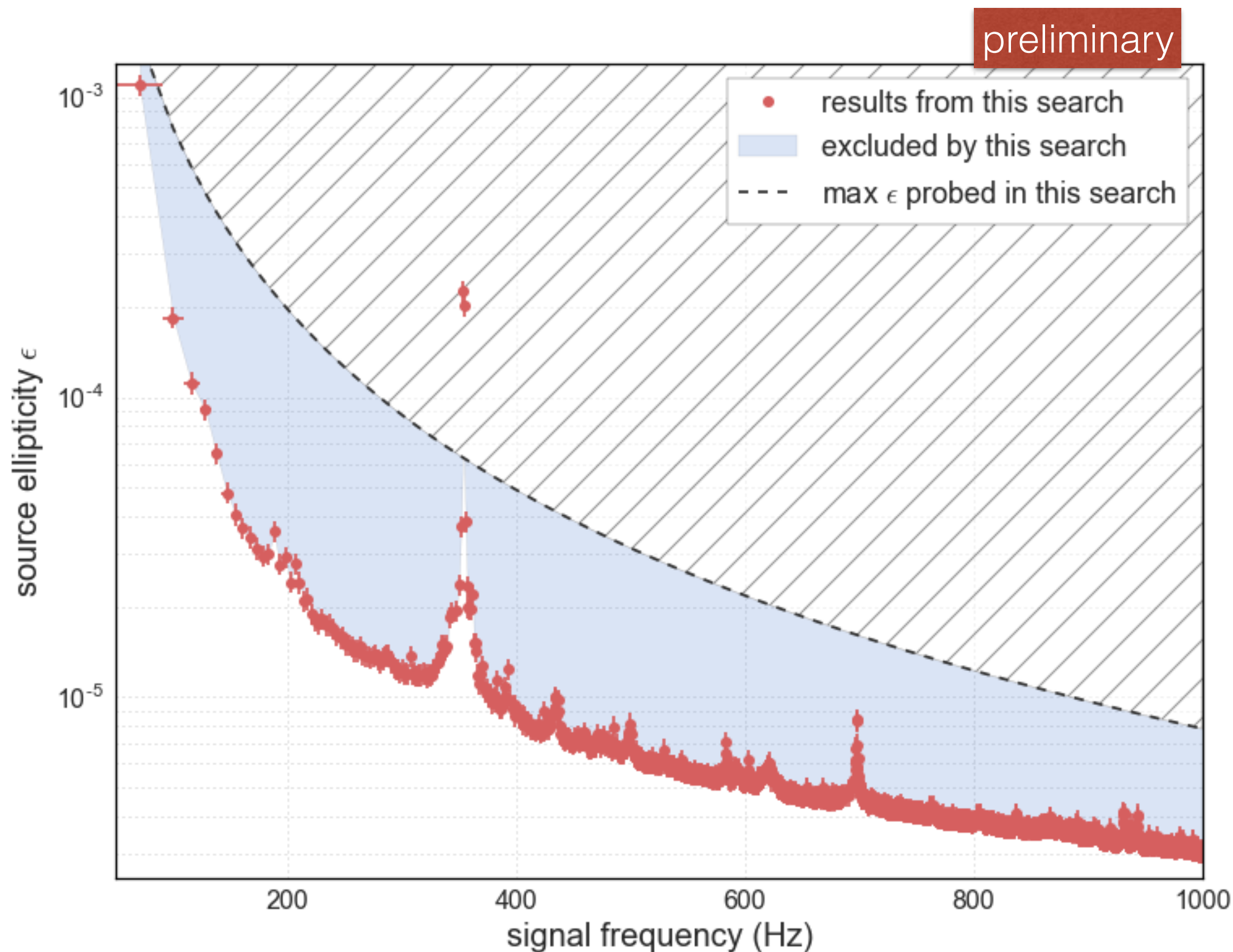




# Upper limits



# Source ellipticity constraints



# Citations

- Ho, W. C. G. and Heinke, C. O., “A neutron star with a carbon atmosphere in the Cassiopeia A supernova remnant,” *Nature* 462 (2009)
- LIGO and Virgo Collaborations, “Results of the deepest all-sky survey for continuous gravitational waves on LIGO S6 data running on the Einstein@Home volunteer distributed computing project,” submitted to *Physical Review D*, arXiv:1606.09619
- Singh., A., et al., “Results of an all-sky high-frequency Einstein@Home search for continuous gravitational waves in the LIGO 5th Science Run,” LIGO document P1600196
- Brady, P. R. and Creighton, T., “Searching for periodic sources with LIGO. II. Hierarchical searches,” *Physical Review D* 61 (2000)
- Pletsch, H. J., “Parameter-space metric of semicoherent searches for continuous gravitational waves,” *Physical Review D* 82 (2010)
- Wette, K., “Estimating the sensitivity of wide-parameter-space searches for gravitational-wave pulsars,” *Physical Review D* 85 (2012)
- Keitel, D., et al., “Search for continuous gravitational waves: Improving robustness versus instrumental artifacts,” *Physical Review D* 89 (2014)
- Abadie, J., et al., “First Search for Gravitational Waves from the Youngest Known Neutron Star,” *ApJ* 722 (2010)
- Aasi, J., et al., “Searches for Continuous Gravitational Waves from Nine Young Supernova Remnants,” *ApJ* 813 (2015)

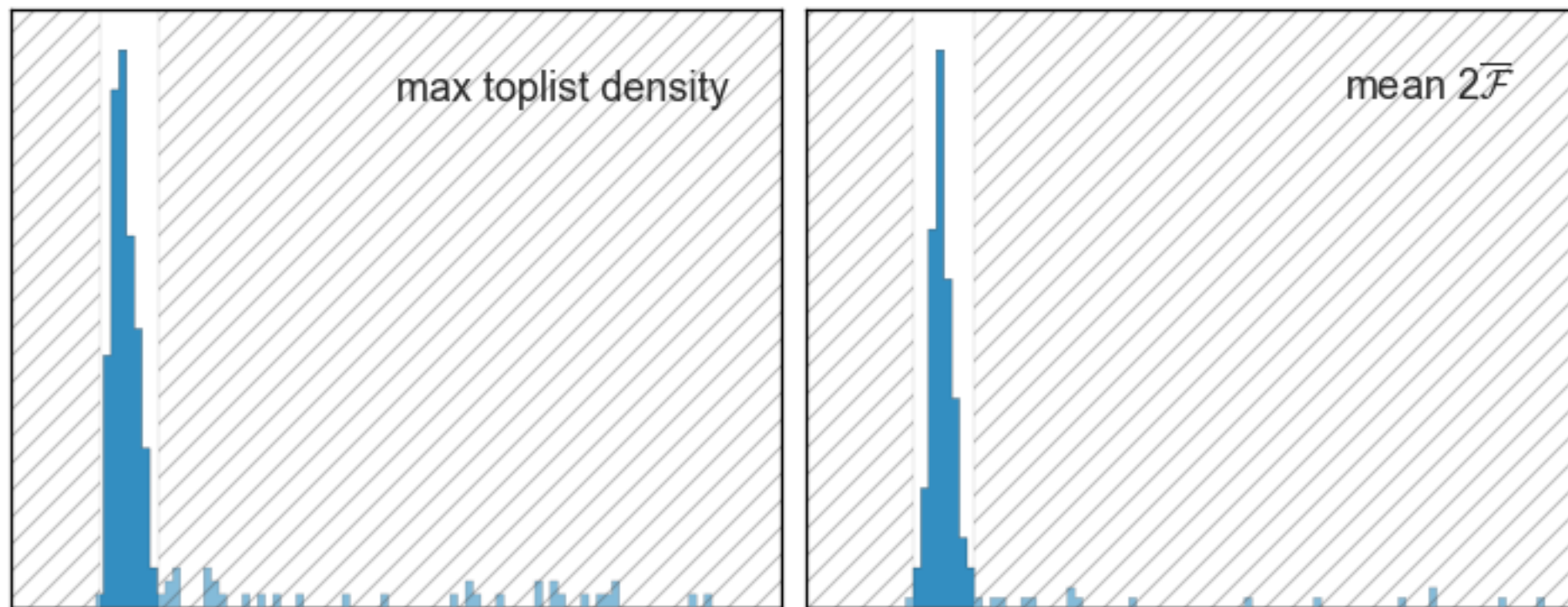
# Back-up

# Gory details

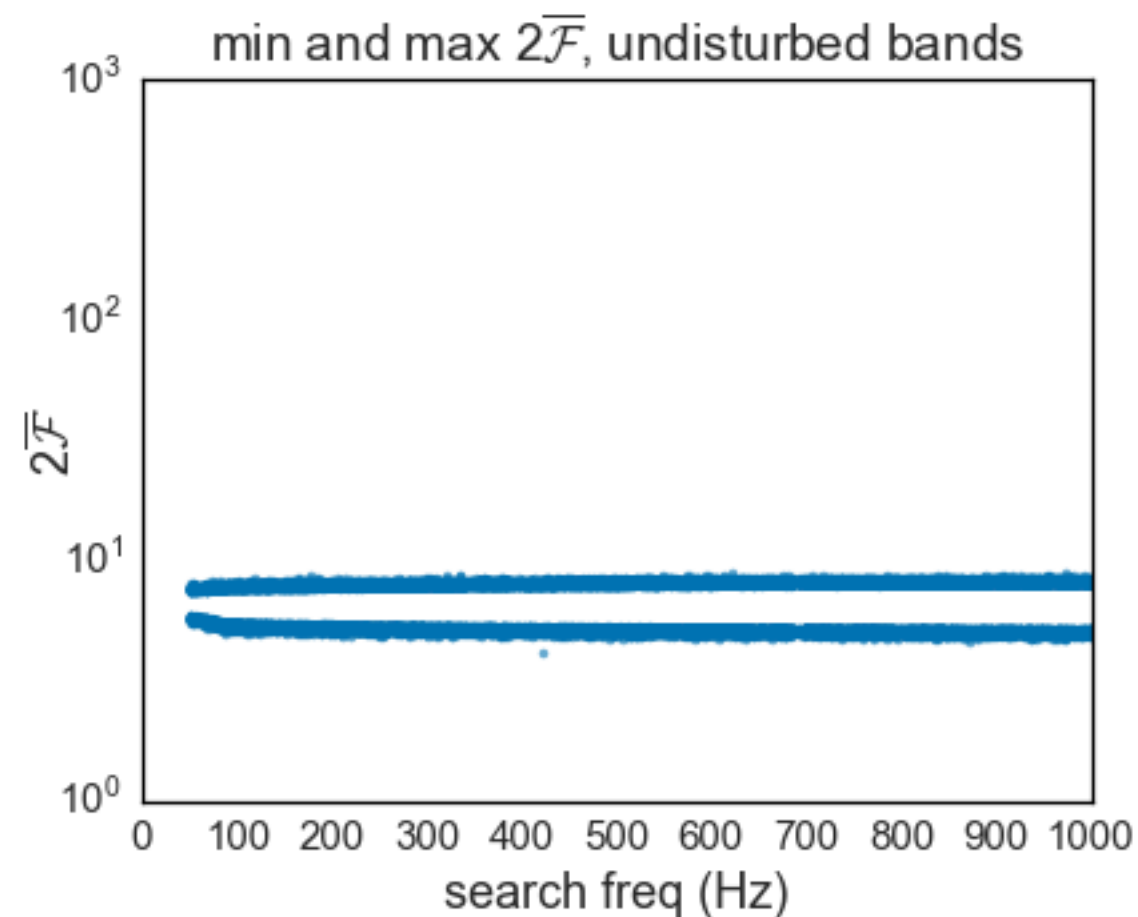
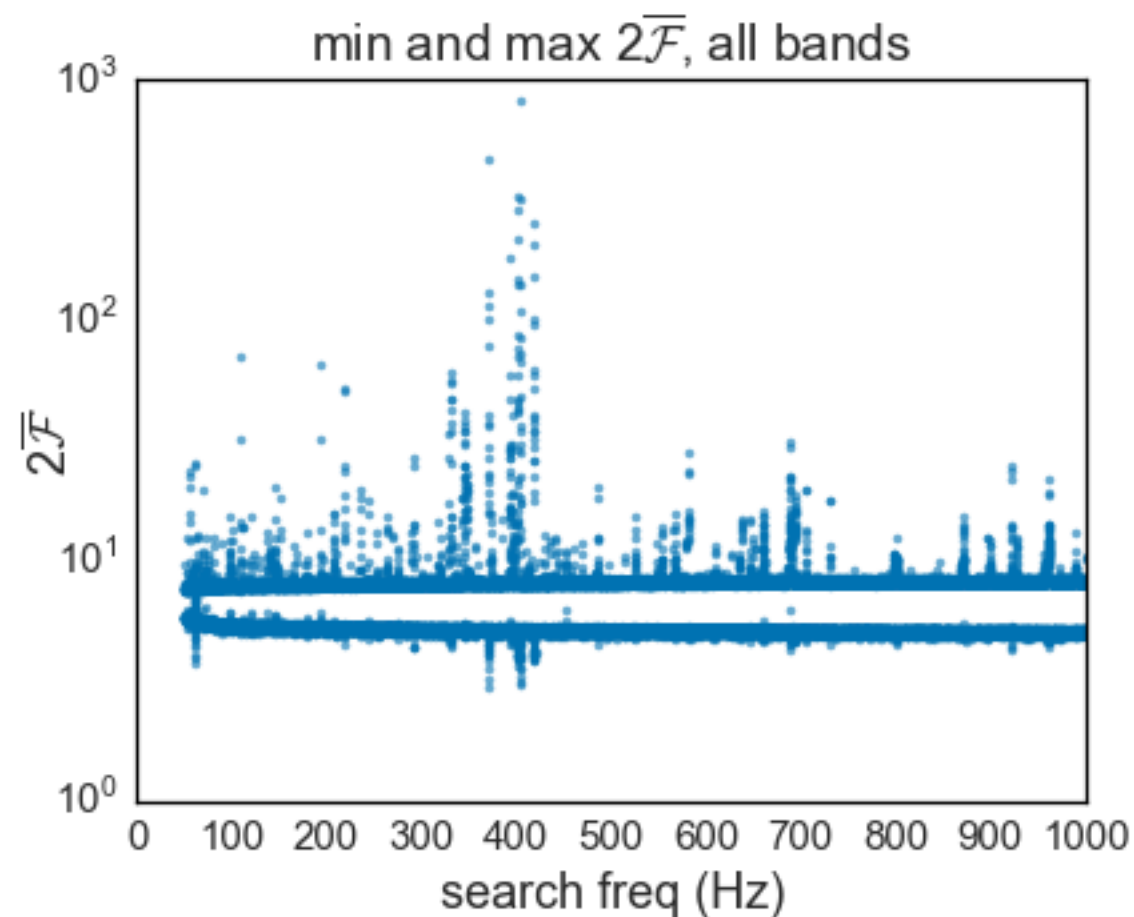
- Parameter space: “box-like”
  - $\alpha = 23:23:28$ ,  $\delta = 58^\circ 48' 42''$
  - Freq in [50, 1000] Hz
  - $\dot{f}$  in  $[-f/\tau, 0]$  ( $\tau = 300$  yr)
  - $\dot{f}^2$  in  $[0, 2f/\tau^2]$
- Search set-up:
  - GPS = 949461068 to 971629632 (Feb to Oct 2010, 8.5 months)
  - Nseg = 44, Tcoh = 5.8 days (140 hrs)
  - $d\text{Freq} = 5.3519\text{e-}7$  |  $d\dot{f}_1 = 8.2281\text{e-}12$  |  $d\dot{f}_2 = 1.9328\text{e-}18$
  - $\gamma_1 = 90$  |  $\gamma_2 = 60$
- No upfront cleaning of bands
- Identify disturbances using systematic method

# SystDistId (working name)

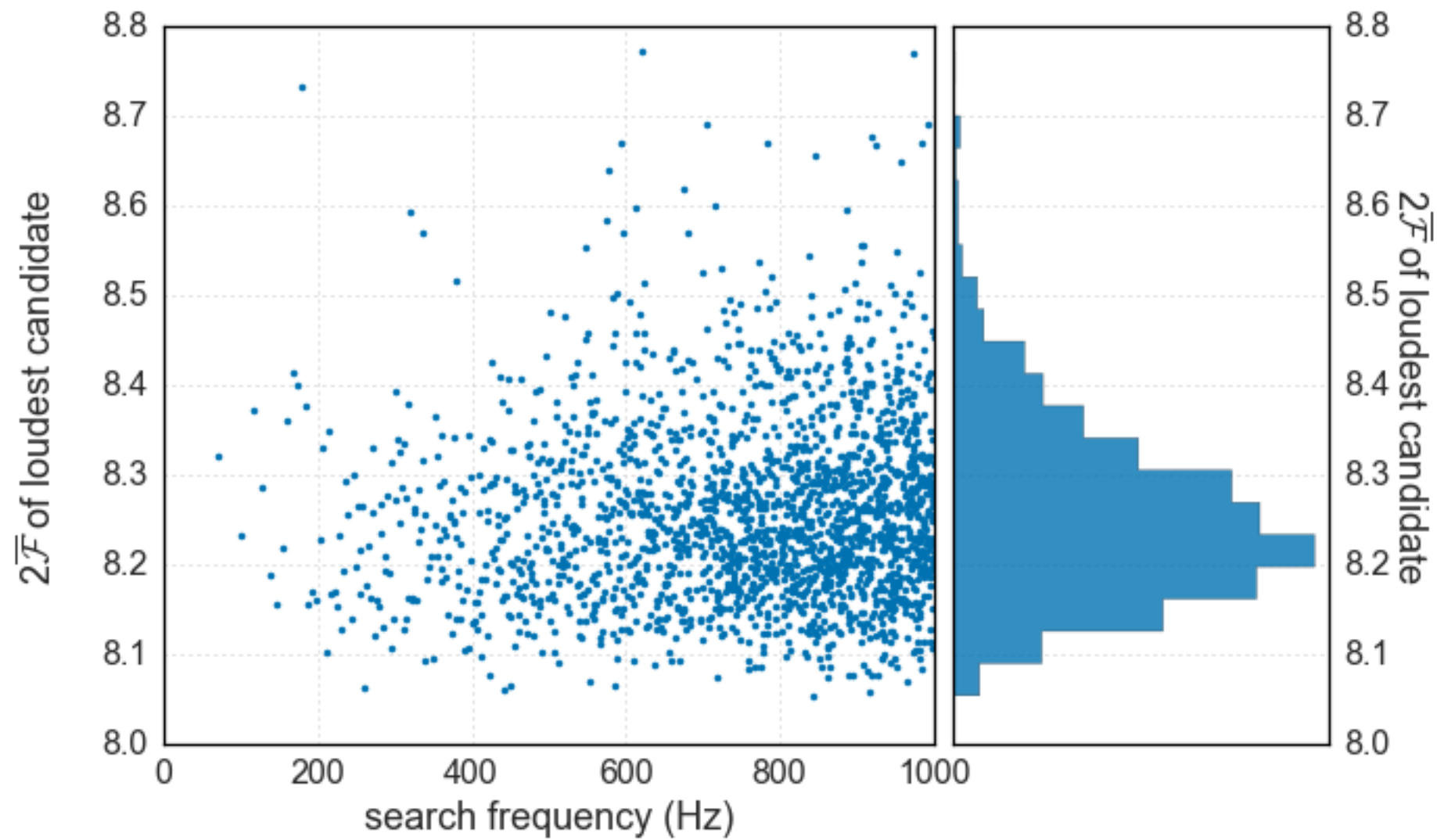
e.g., 90 to 100 Hz:



# Removing disturbed bands

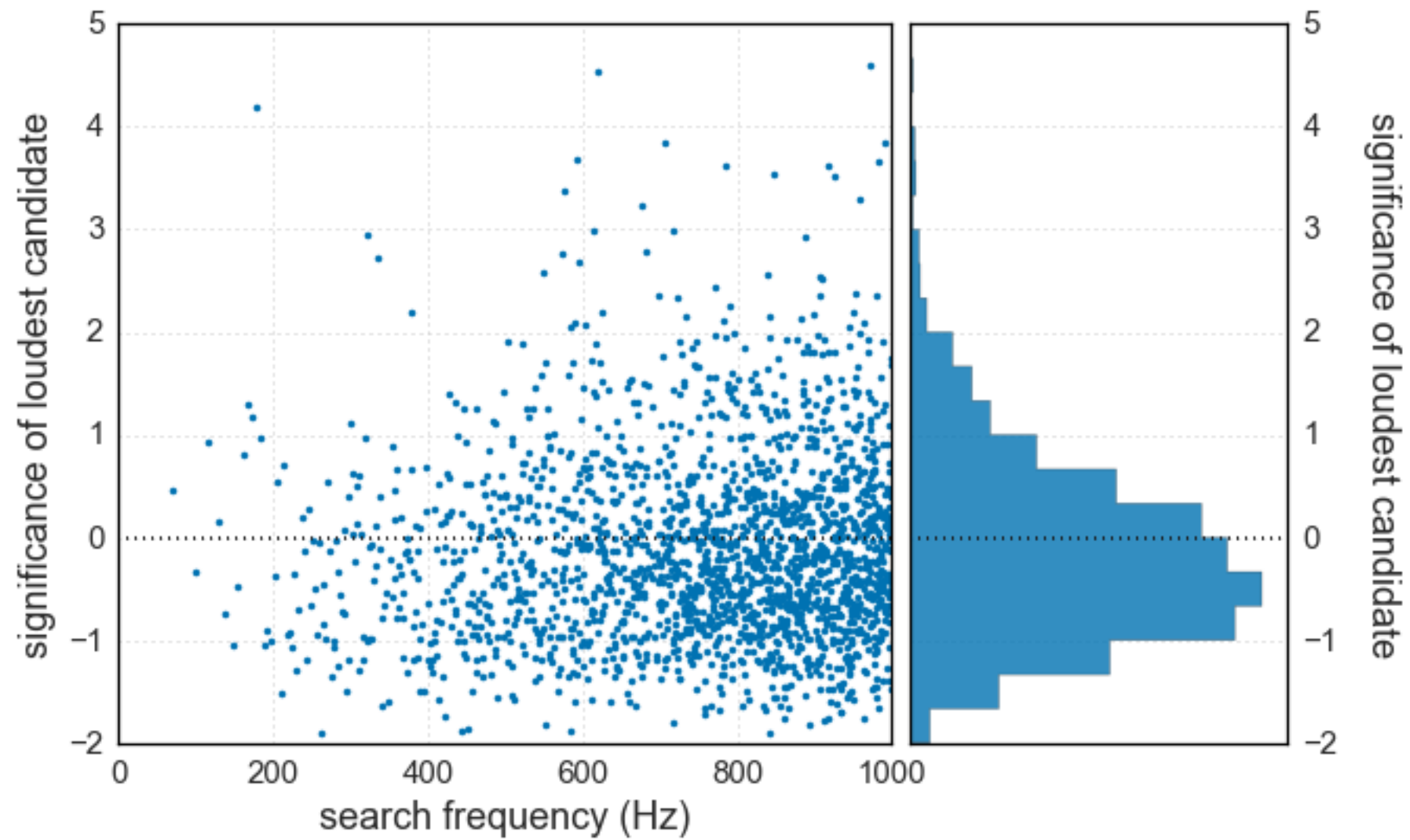


# Loudest candidates





# Loudest candidates



# UL procedure

Sensitivity depth  $D = \sqrt{S_h} / h_0 \approx \text{constant}$

Calculate  $D$  for a set of representative freq bands,  
then use this ratio to obtain  $h_0$  for the other bands